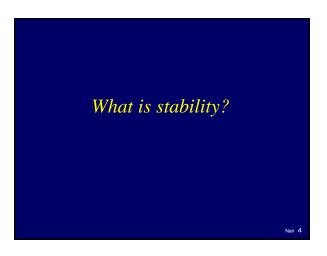
### A New Approach *to* Design for Stability

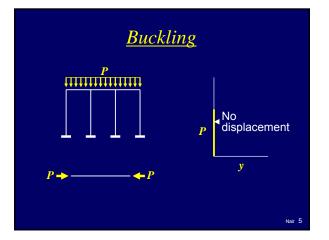
R. Shankar Nair Teng & Associates, Inc. A New Approach to Design for Stability

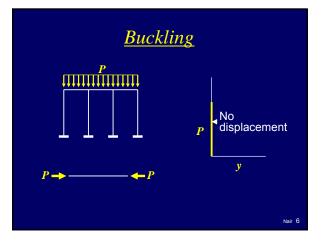
as reflected in the Stability and Analysis Provisions of the 2005 AISC Specification

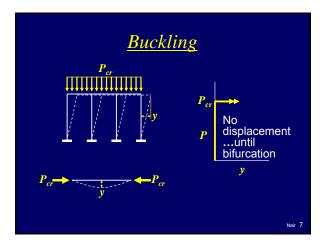
- ► What is stability?
- How have we been designing for it?

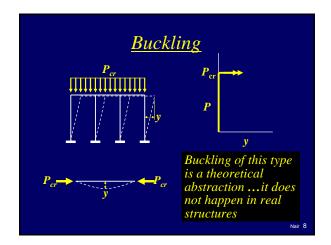
- Why do we need to change?
- ≻The new approach

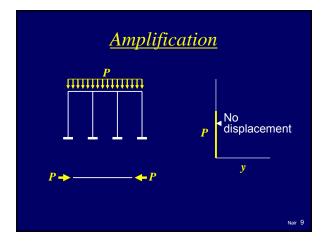


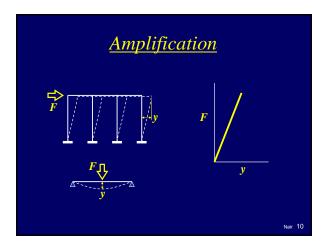


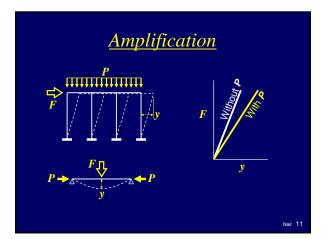


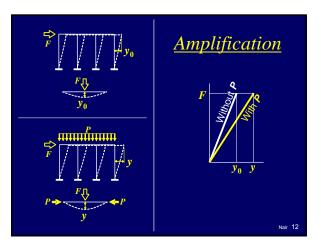


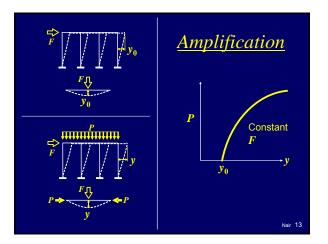


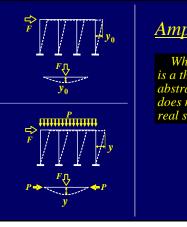






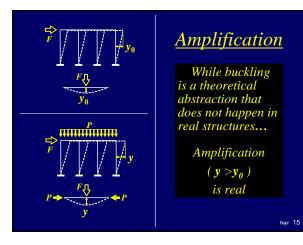


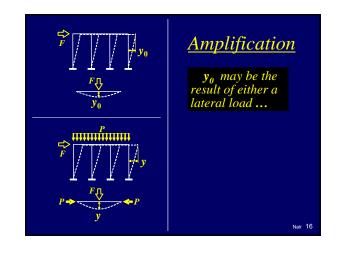


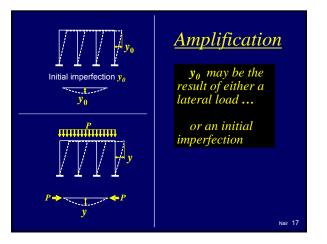


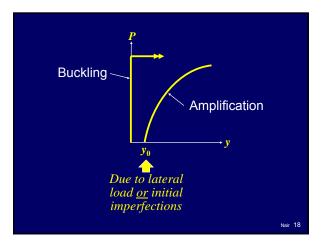
### **Amplification**

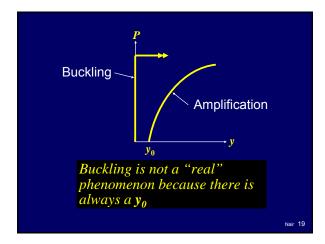
While buckling is a theoretical abstraction that does not happen in real structures...

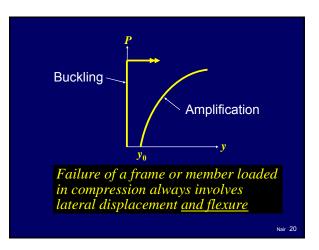


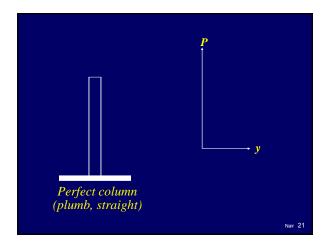


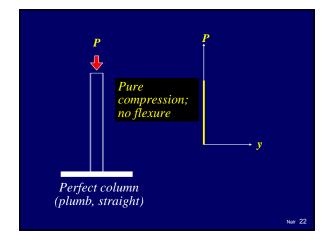


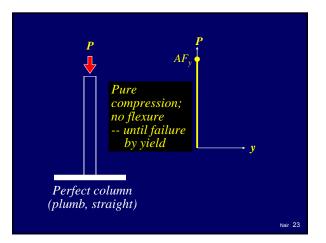


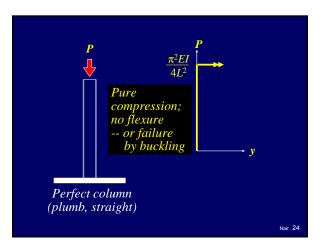


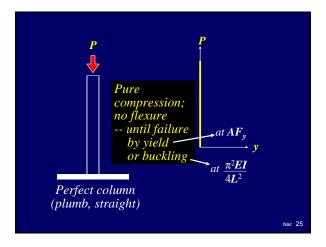


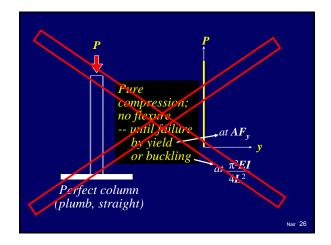


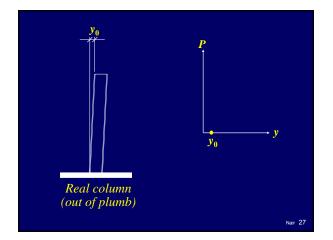


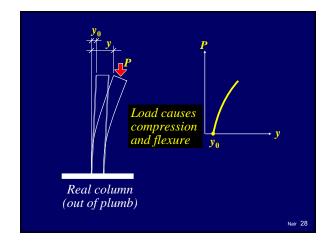


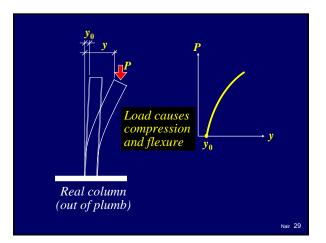


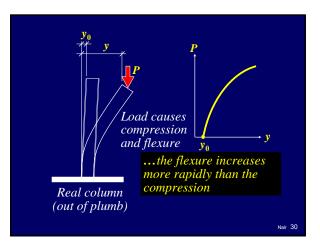


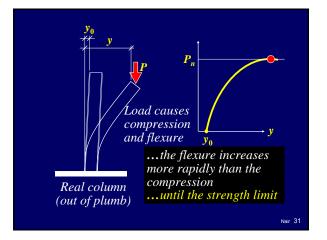












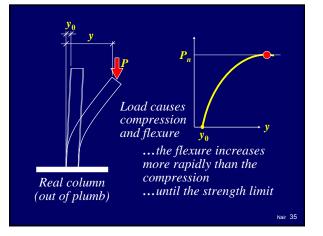
Failure of a "real" member loaded in "pure" compression is by: ...not crushing in compression (AF<sub>y</sub>)

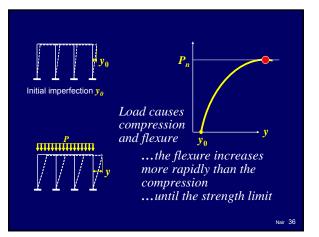
Failure of a "real" member loaded in "pure" compression is by: ...not crushing in compression  $(AF_y)$ ...not buckling  $(\pi^2 EI/(KL)^2)$  Failure of a "real" member loaded in "pure" compression is by:

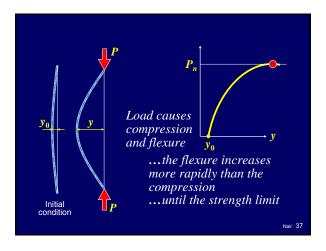
... not crushing in compression  $(AF_{y})$ 

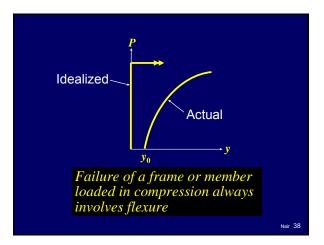
...not buckling  $(\pi^2 EI/(KL)^2)$ 

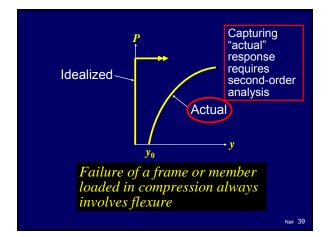
... but compression & flexure

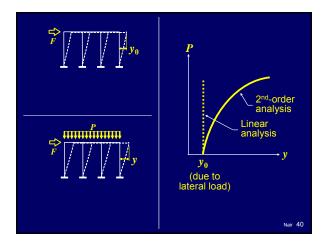


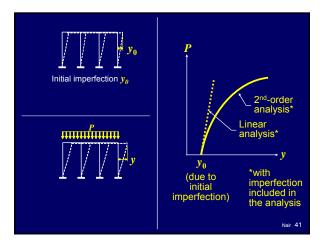


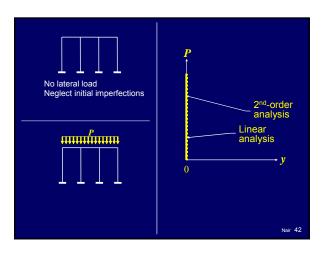


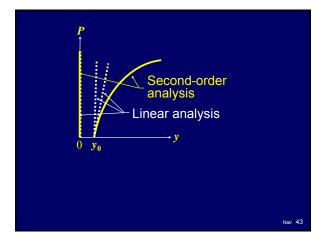


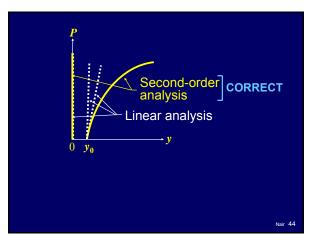


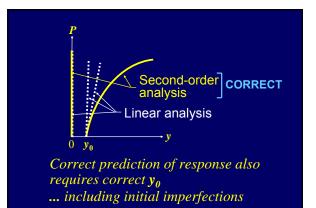












For correct prediction of response:
Second-order analysis
Correct y<sub>0</sub> (including imperfections)

*For correct prediction of response:* 

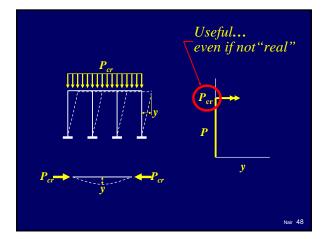
- Second-order analysis
- Correct y<sub>0</sub> (including imperfections)

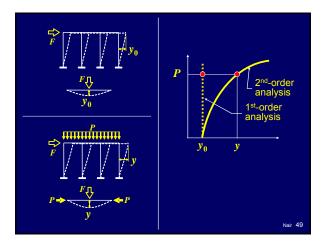
The second-order analysis can be either:

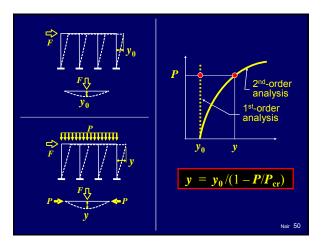
- > Direct second-order analysis or
- > Amplified first-order analysis

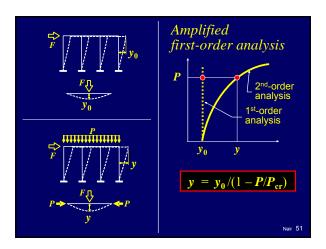
Nair 47

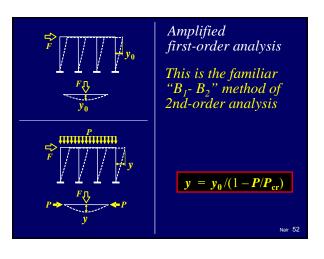
Nair 45

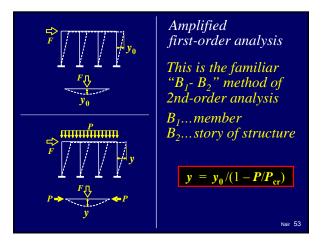


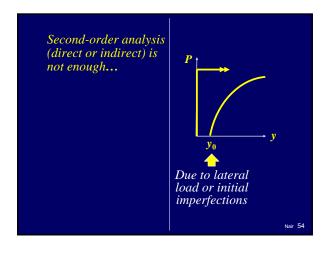


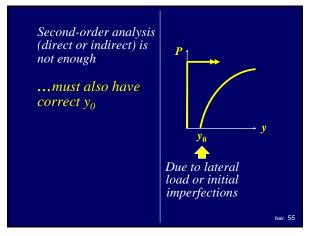


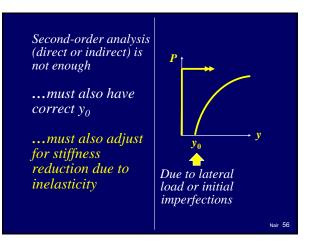


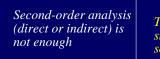












 $\dots$  must also have correct  $y_0$ 

...must also adjust for stiffness reduction due to inelasticity Typical residual stress in a rolled section =  $0.3 F_y$  Second-order analysis (direct or indirect) is not enough

...must also have correct y<sub>0</sub>

...must also adjust for stiffness reduction due to inelasticity Typical residual stress in a rolled section =  $0.3 F_y$ 

... part of section yields when stress due axial force & flexure reaches 0.7 F<sub>y</sub>

Nair 58

Second-order analysis (direct or indirect) is not enough

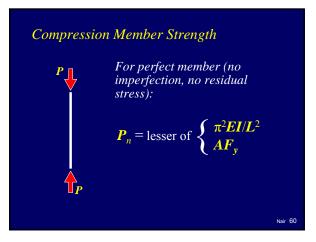
 $\dots$ must also have correct y<sub>0</sub>

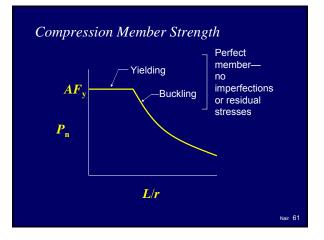
...must also adjust for stiffness reduction due to inelasticity Typical residual stress in a rolled section =  $0.3 F_y$ 

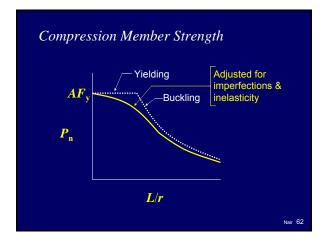
... part of section yields when stress due axial force & flexure reaches 0.7 F<sub>v</sub>

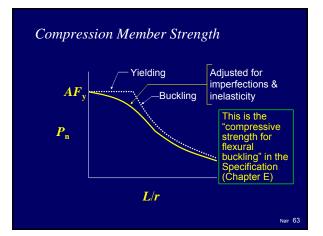
... then stiffness decreases

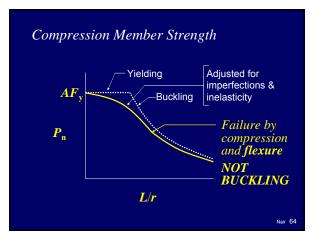
Nair 59

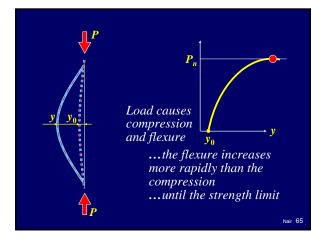


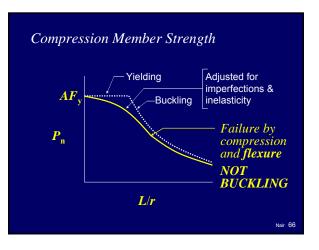












How have we been designing for stability?

Conventional design approach (pre-2005)

Find P & M in members from secondorder analysis\* <u>neglecting imperfections</u> and inelasticity

\*The 2<sup>nd</sup>-order analysis may consist of either direct 2<sup>nd</sup>-order analysis or 1<sup>st</sup>-order analysis adjusted by B<sub>1</sub> and B<sub>2</sub>

Nair 68

### Conventional design approach (pre-2005)

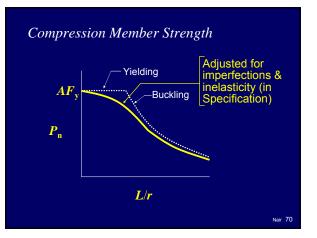
➤ Find P & M in members from secondorder analysis\* <u>neglecting imperfections</u> and inelasticity

> Check member capacity using column curve (strength equation) that <u>includes</u> effects of imperfections and inelasticity

\*The 2<sup>nd</sup>-order analysis may consist of either direct 2<sup>nd</sup>-order analysis or 1<sup>st</sup>-order analysis adjusted by B<sub>1</sub> and B<sub>2</sub>

Nair 69

Nair 67

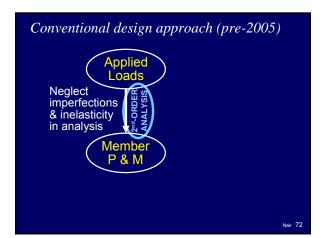


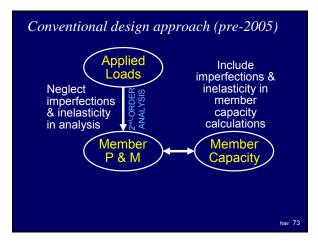
### Conventional design approach (pre-2005)

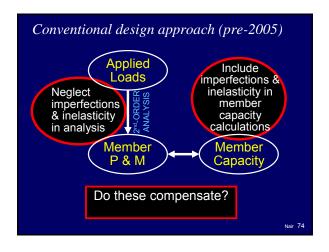
➤ Find P & M in members from secondorder analysis\* <u>neglecting imperfections</u> <u>and inelasticity</u>

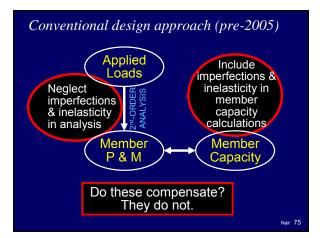
Check member capacity using column curve (strength equation) that <u>includes</u> <u>effects of imperfections and inelasticity</u>

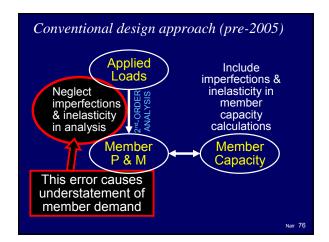
\*The 2<sup>nd</sup>-order analysis may consist of either direct 2<sup>nd</sup>-order analysis or 1<sup>st</sup>-order analysis adjusted by  $B_1$  and  $B_2$ 

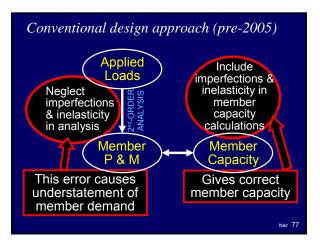


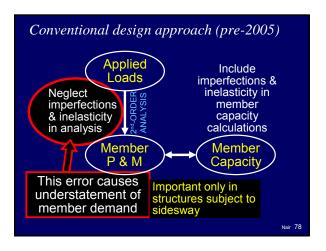


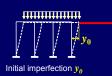




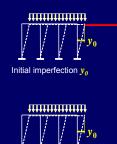








Structure braced against sidesway ...  $y_0$  will not greatly affect P & M in frame members

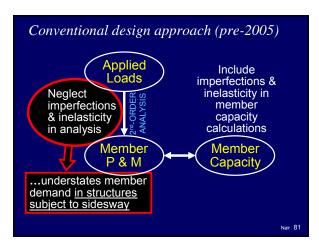


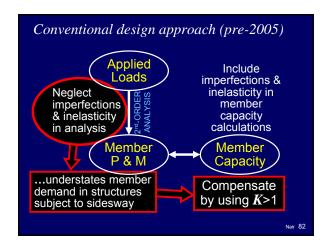


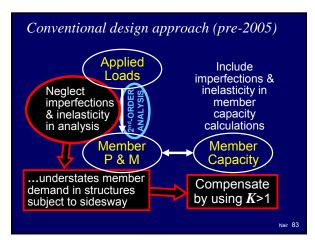
Structure braced against sidesway ... y<sub>0</sub> will <u>not</u> greatly affect P & M in frame

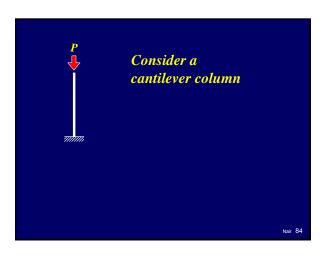
members Structure not braced against sidesway

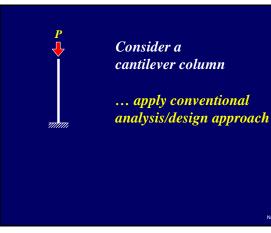
Structure not braced against sidesway  $\dots y_0$  will significantly affect P & M in frame members

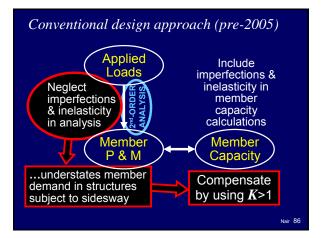


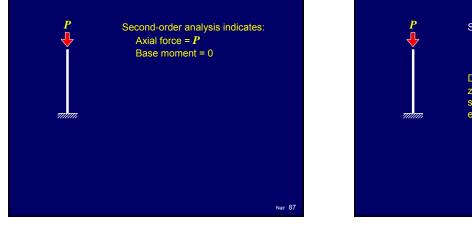








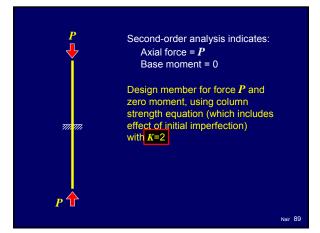


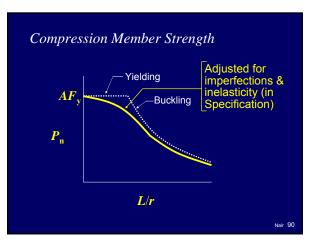


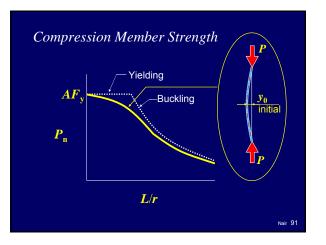
Nair 85

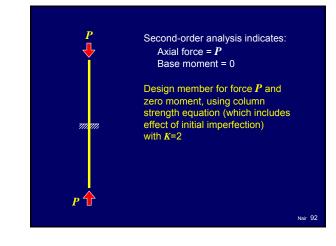
Second-order analysis indicates: Axial force = *P* Base moment = 0 Design member for force *P* and zero moment, using column

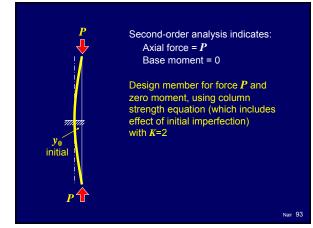
strength equation (which includes effect of initial imperfection)

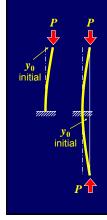








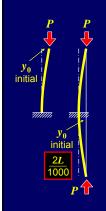




Second-order analysis indicates: Axial force = *P* Base moment = 0

Design member for force P and zero moment, using column strength equation (which includes effect of initial imperfection) with K=2 ... same result as including  $y_0$  in the analysis

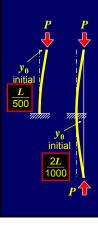
Nair 94



Second-order analysis indicates: Axial force = PBase moment = 0

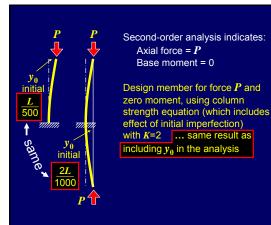
Design member for force P and zero moment, using column strength equation (which includes effect of initial imperfection) with K=2 ... same result as including  $y_0$  in the analysis

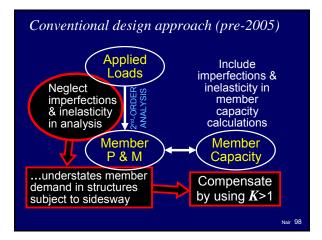
Nair 95

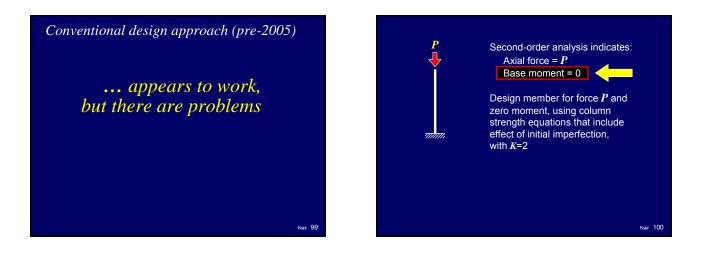


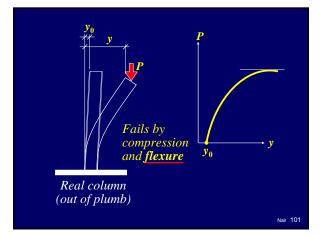
Second-order analysis indicates: Axial force = PBase moment = 0

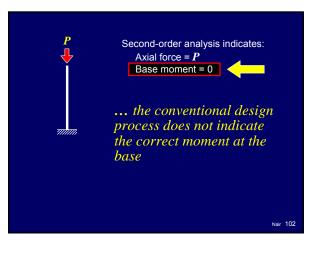
Design member for force P and zero moment, using column strength equation (which includes effect of initial imperfection) with K=2 ... same result as including  $y_0$  in the analysis

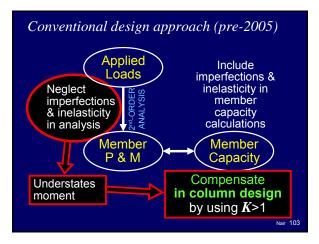


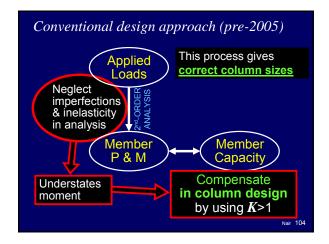


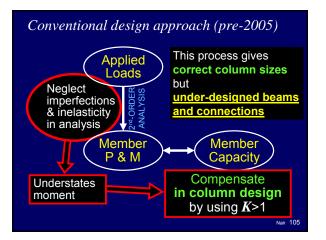


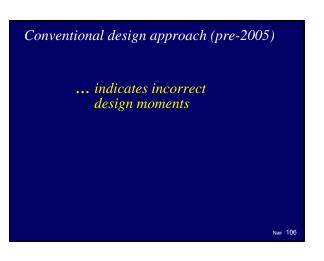


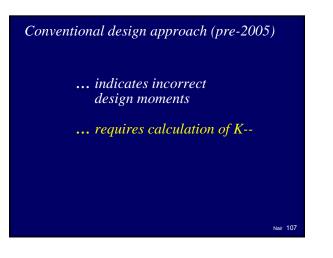








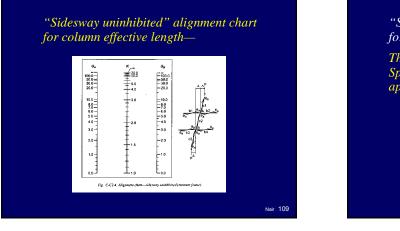


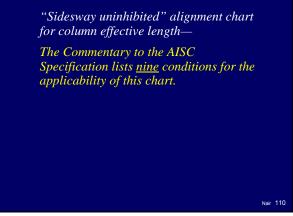


### Conventional design approach (pre-2005)

... indicates incorrect design moments

... requires calculation of K--<u>how??</u>





*"Sidesway uninhibited" alignment chart for column effective length—* 

The Commentary to the AISC Specification lists nine conditions for the applicability of this chart.

> 8. All columns buckle simultaneously.

*"Sidesway uninhibited" alignment chart for column effective length—* 

The Commentary to the AISC Specification lists nine conditions for the applicability of this chart.

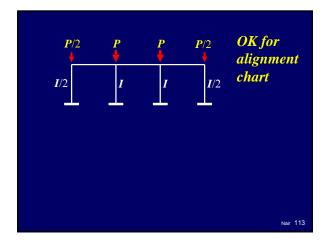
▶ 8. All columns buckle simultaneously.

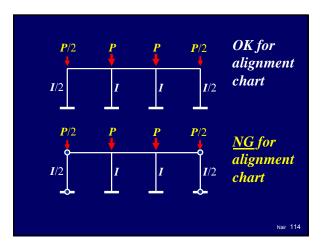
Ratio of column force P to  $\frac{\pi^2 EI}{(KL)^2}$ 

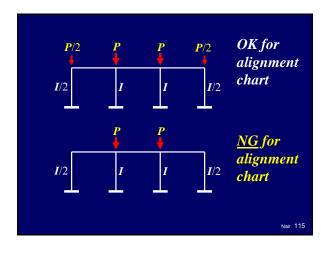
Nair 112

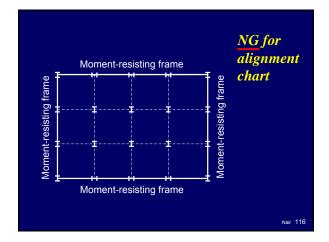
*must be same for all columns in a story* 

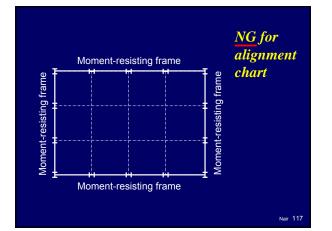


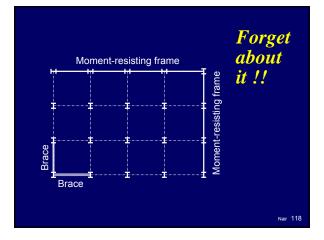








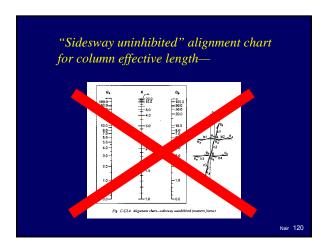




*"Sidesway uninhibited" alignment chart for column effective length—* 

The Commentary to the AISC Specification lists conditions required for the applicability of these charts.

Few real-world buildings meet the conditions for applicability of the alignment chart.





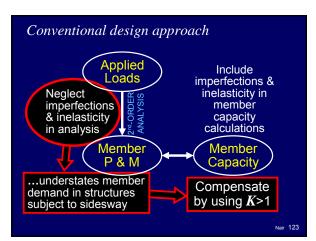
- ... indicates incorrect design moments
- ... requires calculation of K--<u>how</u>?

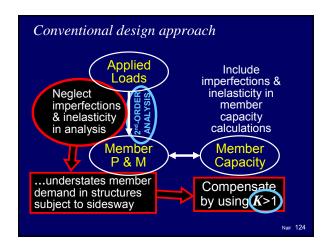
Nair 121

Nair 125

Conventional design approach (pre-2005)

- ... indicates incorrect design moments
- ... requires calculation of K--<u>how indeed</u>?





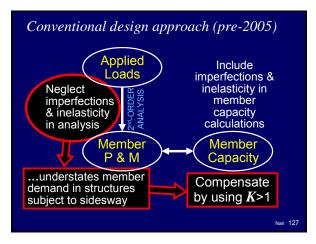


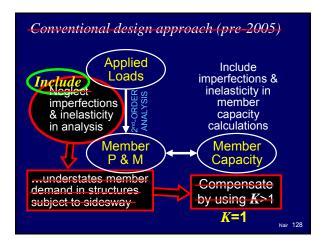
- ... indicates incorrect design moments
- ... requires calculation of K--<u>how</u>?
- ... sometimes, too conservative

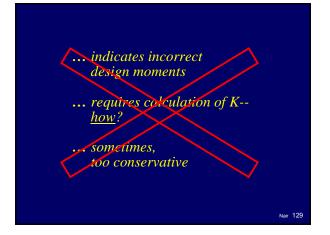
Conventional design approach (pre-2005)

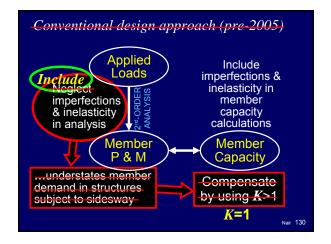
- ... indicates incorrect design moments
- ... requires calculation of K--<u>how</u>?
- ... sometimes, too conservative

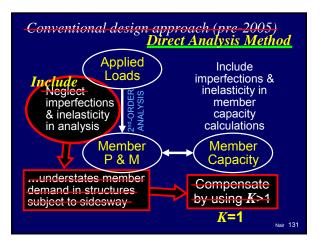
Nair 126

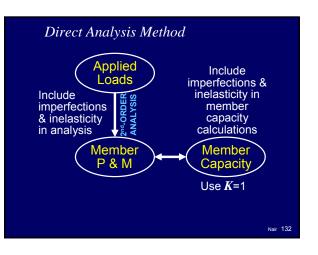












Stability and Analysis Provisions of the 2005 AISC Specification for Steel Buildings

Nair 133

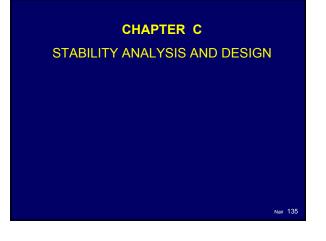
Nair 137

### CHAPTER B

### DESIGN REQUIREMENTS

### **B1. GENERAL PROVISIONS**

"The design of members and connections shall be consistent with the intended behavior and the assumptions made in the structural analysis."



### CHAPTER C

### STABILITY ANALYSIS AND DESIGN

...specifies that the design of the structure for stability must consider various effects.

Effects to be considered:

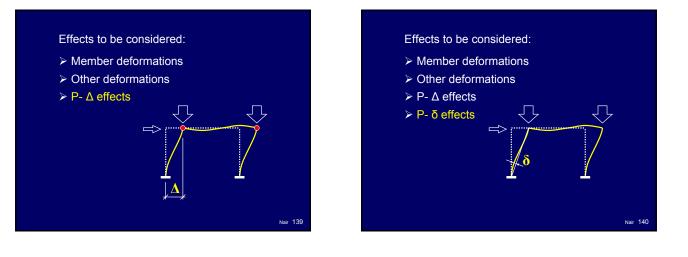
Flexural, shear and axial deformations of members

Effects to be considered:

Member deformations

All component and connection deformations that contribute to lateral displacement

Nair 138



### Effects to be considered:

- > Member deformations
- > Other deformations
- ≻ P- ∆ effects
- $\triangleright$  P-  $\delta$  effects
- Geometric imperfections ...member shape imperfections
  - (out-of-straightness)
  - ...node position imperfections (out-of-plumbness)

Nair 141

### Effects to be considered:

- > Member deformations
- > Other deformations
- $\triangleright$  P-  $\Delta$  effects
- P-δ effects
- Geometric imperfections
- Stiffness reductions due to residual stresses

Nair 142

### Effects to be considered:

- Member deformations
- Other deformations
- P- ∆ effects
- ≻ P- δ effects
- > Geometric imperfections
- Residual stresses

When the analysis has considered all these effects, members can be designed using the provisions for individual members (Chapters D, E, F, G, H, I)

Nair 143

### Effects to be considered:

- Member deformations
- Other deformations
- $\triangleright$  P-  $\Delta$  effects
- ≻ P- δ effects
- Geometric imperfections
- Residual stresses

Any method of analysis and design that considers all these effects is permissible

When the analysis has considered all these effects, members can be designed using the provisions for individual members (Chapters D, E, F, G, H, I)

### Effects to be considered:

- > Member deformations
- Other deformations
- ➢ P-∆ effects
- ≻ P- δ effects
- Geometric imperfections
- Residual stresses

When the analysis has considered all these effects, members can be designed using the provisions for individual members (Chapters D, E, F, G, H, I)

Nair 145

Nair 149

General analysis

requirements

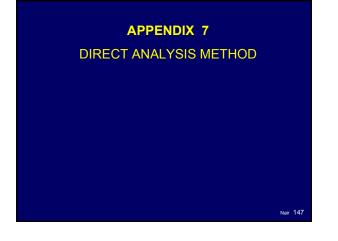
### Effects to be considered:

- ➤ Member deformations
- > Other deformations
- ightarrow P-  $\Delta$  effects
- P- δ effects
- Geometric imperfections
- Residual stresses

Spec presents approaches that consider these effects

When the analysis has considered all these effects, members can be designed using the provisions for individual members (Chapters D, E, F, G, H, I)





APPENDIX 7
DIRECT ANALYSIS METHOD
Applicable to all types of structures Does not distinguish between Braced frames Moment frames Shear wall systems Combinations

Nair 148

### DIRECT ANALYSIS METHOD

- > P- ∆ effects
- ≻ P- δ effects
- Geometric imperfections
- Residual stresses



- ≻ P- ∆ effects
- P-δ effects
- Geometric imperfections
- Residual stresses

Use second-order elastic analysis that considers both P- $\Delta$  and P- $\delta$  effects.

### DIRECT ANALYSIS METHOD

- ≻ P- ∆ effects
- P-δ effects
- Geometric imperfections
- ➢ Residual stresses

Use second-order elastic analysis that considers both P- $\Delta$  and P- $\delta$  effects. Options:

... any general second-order analysis method

Nair 151

### DIRECT ANALYSIS METHOD

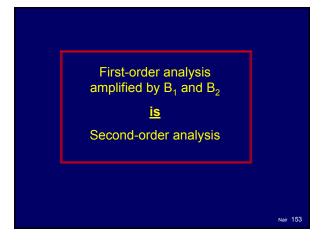
- ≻ P-∆ effects
- P-δ effects
- Geometric imperfections
- Residual stresses

Use second-order elastic analysis that considers both P- $\Delta$  and P- $\delta$  effects. Options:

... any general second-order analysis method

... amplified first-order analysis  $(B_1 \& B_2)$ 

Nair 152



# DIRECT ANALYSIS METHOD P. Δ effects P. δ effects Geometric imperfections Residual stresses Use second-order elastic analysis that considers both P-Δ and P-δ effects. Options: ...any general second-order analysis method ...amplified first-order analysis (B<sub>1</sub> & B<sub>2</sub>)

### DIRECT ANALYSIS METHOD

- ≻ P- ∆ effects
- P-δ effects
- ➤ Geometric imperfections
- Residual stresses

Use second-order elastic analysis that considers both P- $\Delta$  and P- $\delta$  effects. Options:

...any general second-order analysis method

...amplified first-order analysis (B<sub>1</sub> & B<sub>2</sub> )

Exception: P-õ effects can be neglected when member axial loads are below a specified level.

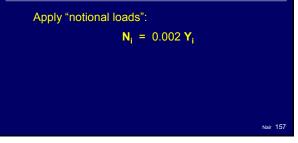
Nair 155

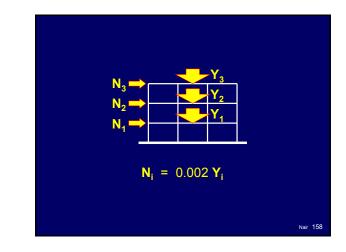
### DIRECT ANALYSIS METHOD

- ightarrow P-  $\Delta$  effects
- ≻ P- δ effects
- Geometric imperfections
- Residual stresses



- $\succ$  P-  $\Delta$  effects
- ≻ P- δ effects
- Geometric imperfections
- Residual stresses





### DIRECT ANALYSIS METHOD $\triangleright$ P- $\Delta$ effects ≻ P- δ effects Geometric imperfections Residual stresses

Apply "notional loads":

$$N_i = 0.002 Y_i$$

The  $0.002\mathbf{Y}_{i}$  notional load is equivalent to an initial out-of-plumbness of 1/500

N<sub>3</sub> = N2 • 500 N<sub>1</sub>  $N_i = 0.002 Y_i$ Equivalent structure Nair 160

### DIRECT ANALYSIS METHOD

- $\succ$  P-  $\Delta$  effects
- ≻ P- δ effects
- Geometric imperfections
- Residual stresses

Apply "notional loads":

$$N_i = 0.002 Y$$

The 0.002 coefficient corresponds to an initial out-of-plumbness of 1/500

... lower value can be used if justified by the actual anticipated out-of-plumbness

Nair 159

DIRECT ANALTSIS METHOD	
$P-\Delta$ effects	
P-δeffects	

 $\triangleright$ 

Geometric imperfections Residual stresses

Apply "notional loads"

Logically, these notional loads should be additive to other lateral loads in all cases.

### DIRECT ANALYSIS METHOD

- ≻ P- ∆ effects
- ≻ P- δ effects
- Geometric imperfections
- Residual stresses

Apply "notional loads"

Logically, these notional loads should be additive to other lateral loads in all cases.

But in a concession to past practice, the notional loads can be treated as a minimum lateral load when  $\Delta/\Delta_0 < 1.5$ 

Nair 163

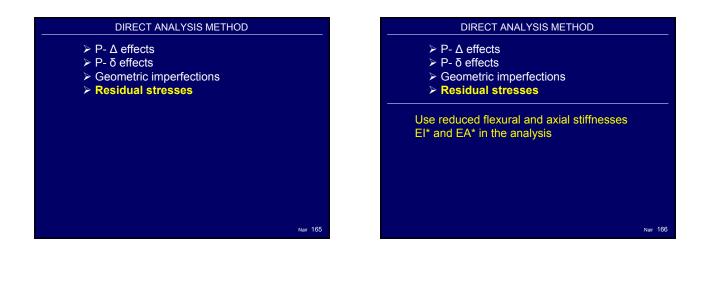
### DIRECT ANALYSIS METHOD

- $\triangleright$  P-  $\Delta$  effects
- P-δ effects
- Geometric imperfections
- Residual stresses

<u>Alternative</u>: Instead of applying notional loads to account for geometric imperfections...

the designer may model imperfections directly in the analysis.

Nair 164



DIRECT ANALYSIS METHOD
≻ P- Δ effects
≻ P- δ effects
Geometric imperfections
Residual stresses
Use reduced flexural and axial stiffnesses EI* and EA* in the analysis
EI* = 0.8 τ <sub>b</sub> El
EA* = 0.8 EA

Nair 167

## $\begin{array}{l} \label{eq:dispersive} DIRECT ANALYSIS METHOD \\ \begin{array}{l} \label{eq:dispersive} \mathsf{P} \cdot \Delta \mbox{ effects} \\ \label{eq:dispersive} \mathsf{P} \cdot \delta \mbox{ effects} \\ \label{eq:dispersive} \mathsf{Geometric imperfections} \\ \label{eq:dispersive} \begin{array}{l} \label{eq:dispersive} \mathsf{Residual stresses} \end{array} \end{array}$

EA\* = 0.8 EA

 $\tau_b$  depends on level of axial stress in member;  $\tau_b$  = 1 when P < 0.5 P<sub>v</sub>

### DIRECT ANALYSIS METHOD

- $\succ$  P-  $\Delta$  effects
- ≻ P- δ effects
- Geometric imperfections
- > Residual stresses

Use reduced flexural and axial stiffnesses EI\* and EA\* in the analysis

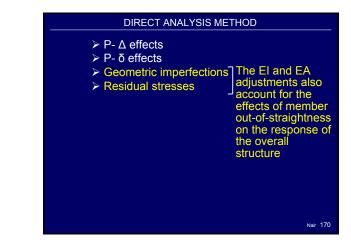
 $EI^* = 0.8 \tau_b EI$ 

EA\* = 0.8 EA

 $\tau_b$  can be taken as 1 in all cases if additional notional load of  $0.001Y_i$  is applied.

Nair 169

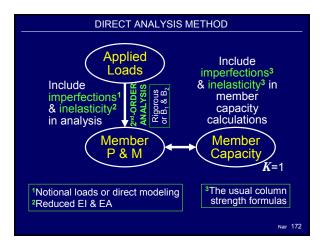
Nair 171



### > P- Δ effects > P- δ effects > Geometric imperfections > Residual stresses Design members using the provisions for

DIRECT ANALYSIS METHOD

individual members (Chapters D, E, F, G, H, I), with K=1 for computing compression strengths



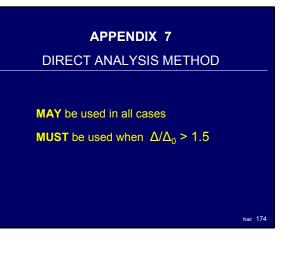
### APPENDIX 7

### DIRECT ANALYSIS METHOD

Applicable to all types of structures

Does not distinguish between

- ...Braced frames
- ...Moment frames
- ...Shear wall systems
- ...Combinations



### APPENDIX 7 DIRECT ANALYSIS METHOD

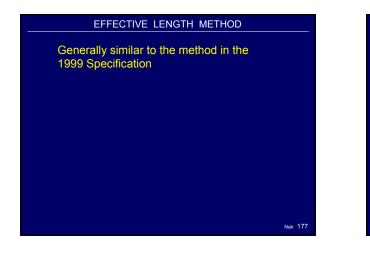
MAY be used in all cases

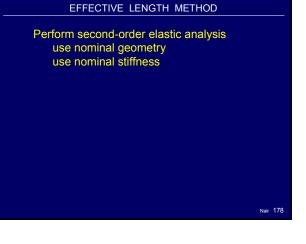
**MUST** be used when  $\Delta/\Delta_0 > 1.5$ 

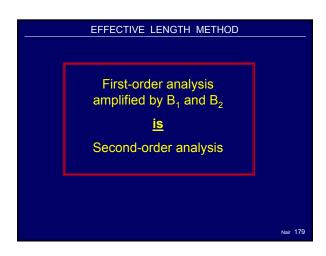
When  $\Delta/\Delta_0 < 1.5$ there are other options...

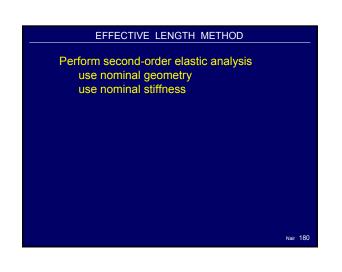
Nair 175

### CHAPTER C STABILITY ANALYSIS AND DESIGN C2. CACULATION OF REQUIRED STRENGTHS 2. Design Requirements DIRECT ANALYSIS Can use Appendix 7 in all cases Can use C2.2a or C2.2b if $\Delta/\Delta_0 < 1.5$ 2a. Design by Second-Order Analysis 2b. Design by First-Order Analysis 2b. Design by First-Order Analysis EFFECTIVE METHOD STRENGTER ANALYSIS METHOD









### EFFECTIVE LENGTH METHOD

Perform second-order elastic analysis use nominal geometry use nominal stiffness

Apply notional loads,  $N_i = 0.002 Y_i$ as a minimum lateral load

### EFFECTIVE LENGTH METHOD

Perform second-order elastic analysis use nominal geometry use nominal stiffness

Apply notional loads, N<sub>i</sub> = 0.002 Y<sub>i</sub> as a minimum lateral load ...(NEW)

Nair 182

### EFFECTIVE LENGTH METHOD

Perform second-order elastic analysis use nominal geometry use nominal stiffness

Apply notional loads,  $N_i = 0.002 Y_i$ as a minimum lateral load

Determine K factors for columns in moment frames by sidesway buckling analysis

Nair 183

Nair 181



Perform second-order elastic analysis use nominal geometry use nominal stiffness

Apply notional loads,  $N_i = 0.002 Y_i$ as a minimum lateral load

Determine K factors for columns in moment frames by sidesway buckling analysis. (Exception: Use K=1 if  $\Delta/\Delta_0 < 1.1$ )

Nair 184

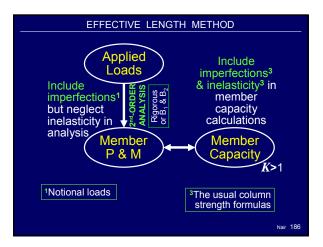
### EFFECTIVE LENGTH METHOD

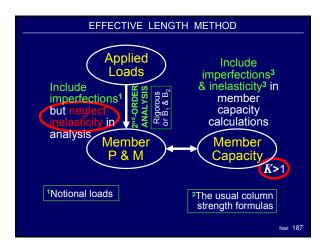
Perform second-order elastic analysis use nominal geometry use nominal stiffness

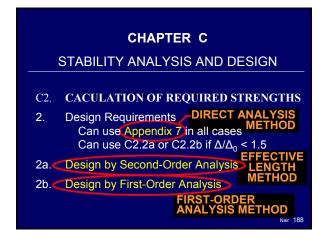
Apply notional loads,  $N_i = 0.002 Y_i$ as a minimum lateral load

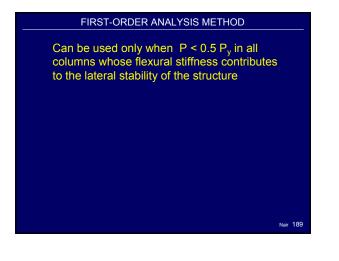
Determine K factors for columns in moment frames by sidesway buckling analysis

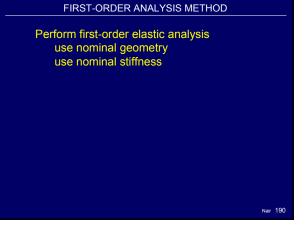
Design individual members using K from step 3 for computing compression strengths











### FIRST-ORDER ANALYSIS METHOD

Nair 191

Perform first-order elastic analysis use nominal geometry use nominal stiffness

Apply additional lateral loads:  

$$N_i = 2.1(\Delta/L) Y_i > 0.0042 Y_i$$

FIRST-ORDER ANALYSIS METHOD

Perform first-order elastic analysis use nominal geometry use nominal stiffness

Apply additional lateral loads:  $N_i = 2.1(\Delta/L) Y_i > 0.0042 Y_i$ 

Apply B<sub>1</sub> multiplier to full moment in all beam-columns

### FIRST-ORDER ANALYSIS METHOD

Perform first-order elastic analysis use nominal geometry use nominal stiffness

Apply additional lateral loads:  $\dot{N}_i = 2.1(\Delta/L) Y_i > 0.0042 Y_i$ 

Apply B<sub>1</sub> multiplier to full moment in all beam-columns

Design individual members using K=1 for computing compression strengths

Nair 193

### FIRST-ORDER ANALYSIS METHOD

- ... is the Direct Analysis Method by the back door
- ... uses mathematical manipulation to get roughly the same results as the DAM for typical structures

Nair 194

**CHAPTER C** STABILITY ANALYSIS AND DESIGN C2. CACULATION OF REQUIRED STRENGTHS Design Requirements DIRECT ANALYSIS Can use Appendix 7 in all cases Can use C2.2a or C2.2b if Δ/Δ<sub>0</sub> < 1.5</li>
 Design by Second-Order Analysis LENGTH 2b. Design by First-Order Analysis

METHOD	

		Nair	195

	DIRECT ANALYSIS	EFFECTIVE LENGTH	FIRST ORDER
Limitations		Δ/Δ <sub>0</sub> <1.5	Δ/Δ <sub>0</sub> <1.5 P/P <sub>v</sub> <0.5

	DIRECT ANALYSIS	EFFECTIVE LENGTH	FIRST ORDER	
Limitations		Δ/Δ <sub>0</sub> <1.5	∆/∆ <sub>0</sub> <1.5 P/P <sub>y</sub> <0.5	
Analysis	Second- Order	Second- Order	First- Order	
				Nair 197

	DIRECT ANALYSIS	EFFECTIVE LENGTH	FIRST ORDER
Limitations		Δ/Δ <sub>0</sub> <1.5	Δ/Δ <sub>0</sub> <1.5 P/P <sub>y</sub> <0.5
Analysis	Second- Order	Second- Order	First- Order (but apply B <sub>1</sub> to moment in beam- columns)

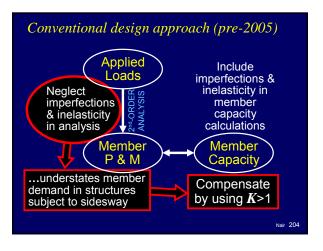
ANALYSIS     LENGTH     ORDER       Limitations      Δ/Δ₀ <1.5     Δ/Δ₀ <1.5       Analysis     Second- Order     Second- Order     First- Order       Geometry     Nominal     Nominal     Nominal		DIRECT	EFFECTIVE	FIRST
Analysis Second-Order Second-Order				
Analysis Order Order Order	Limitations		Δ/Δ <sub>0</sub> <1.5	Δ/Δ <sub>0</sub> <1.5 P/P <sub>v</sub> <0.5
Geometry Nominal Nominal Nominal	Analysis			
	Geometry	Nominal	Nominal	Nominal

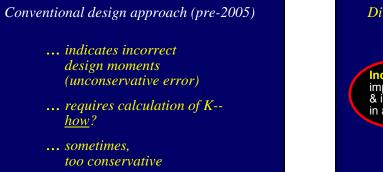
AnalysisSecond- OrderSecond- OrderFirst- OrderGeometryNominalNominalNominal		DIRECT ANALYSIS	EFFECTIVE LENGTH	FIRST ORDER
Analysis         Order         Order         Order           Geometry         Nominal         Nominal         Nominal	Limitations		Δ/Δ <sub>0</sub> <1.5	Δ/Δ <sub>0</sub> <1.5 P/P <sub>v</sub> <0.5
, , , , , , , , , , , , , , , , , , , ,	Analysis			
EI & EA Reduced Nominal Nominal	Geometry	Nominal	Nominal	Nominal
	EI & EA	Reduced	Nominal	Nominal

	DIRECT ANALYSIS	EFFECTIVE LENGTH	FIRST ORDER	
Limitations		Δ/Δ <sub>0</sub> <1.5	Δ/Δ <sub>0</sub> <1.5 P/P <sub>v</sub> <0.5	
Analysis	Second- Order	Second- Order	First- Order	
Geometry	Nominal	Nominal	Nominal	
EI & EA	Reduced	Nominal	Nominal	
Notional Load	0.002 Y <sub>i</sub> minimum*	0.002 Y <sub>i</sub> minimum	>0.0042Y <sub>i</sub> additive	
*additive when $\Delta/\Delta_0 > 1.5$				

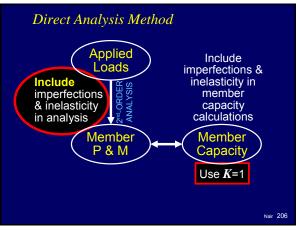
	DIRECT ANALYSIS	EFFECTIVE LENGTH	FIRST ORDER
Limitations		Δ/Δ <sub>0</sub> <1.5	Δ/Δ <sub>0</sub> <1.5 P/P <sub>v</sub> <0.5
Analysis	Second- Order	Second- Order	First- Order
Geometry	Nominal	Nominal	Nominal
EI & EA	Reduced	Nominal	Nominal
Notional Load	0.002 Y <sub>i</sub> minimum*	0.002 Y <sub>i</sub> minimum	>0.0042Y <sub>i</sub> additive
K for member P <sub>n</sub>	K = 1	Sidesway buckling analysis	K = 1
*additiv	ve when $\Delta/2$	∆ <sub>0</sub> >1.5	

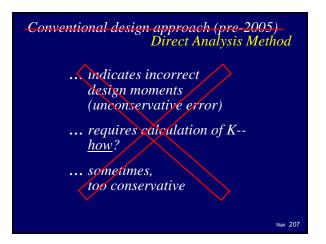
	DIRECT	EFFECTIVE	FIRST
	ANALYSIS	LENGTH	ORDER
Limitations		Δ/Δ <sub>0</sub> <1.5	Δ/Δ <sub>0</sub> <1.5 P/P <sub>v</sub> <0.5
Analysis	Second- Order	Second- Order	First- Order
Geometry	Nominal	Nominal	Nominal
EI & EA	Reduced	Nominal	Nominal
Notional Load	0.002 Y <sub>i</sub> minimum*	0.002 Y <sub>i</sub> minimum	>0.0042Y <sub>i</sub> additive
K for member P <sub>n</sub>	K = 1	Sidesway buckling analysis	K = 1

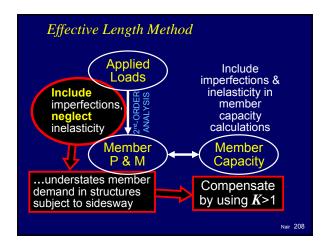


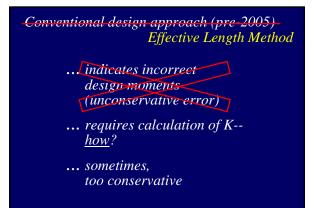


Nair 205











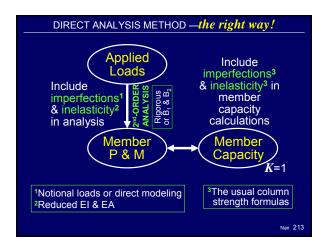
- ... is the Direct Analysis Method by the back door
- ... uses mathematical manipulation to get roughly the same results as the DAM for typical structures

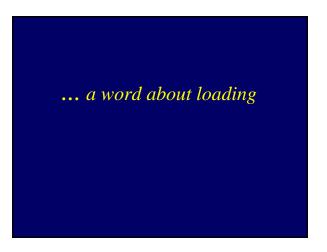
### First-Order Analysis Method

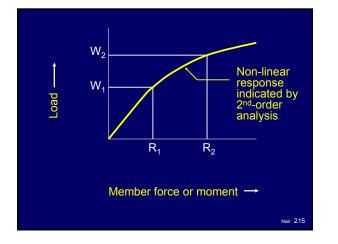
- ... is the Direct Analysis Method by the back door
- ... uses mathematical manipulation to get roughly the same results as the DAM for typical structures
- ... generally same benefits as DAM

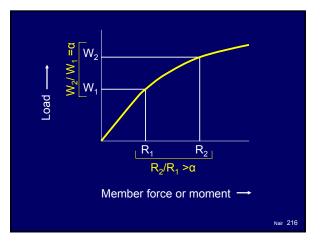
### First-Order Analysis Method

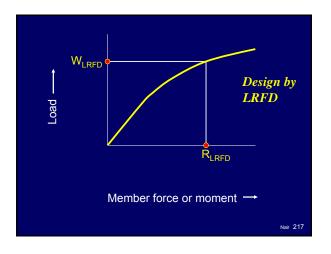
- ... is the Direct Analysis Method by the back door
- ... uses mathematical manipulation to get roughly the same results as the DAM for typical structures
- ... generally same benefits as DAM
- ... but do not apply by rote; learn DAM first

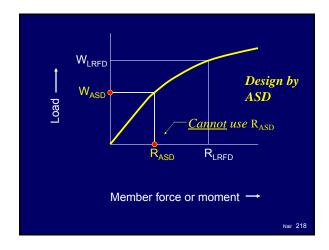


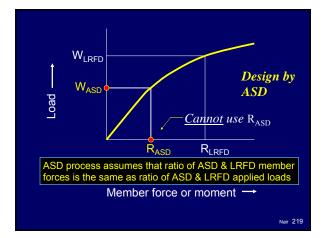


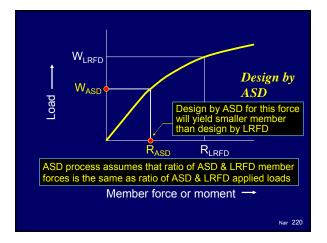


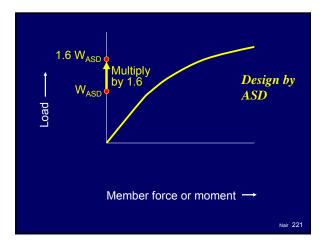


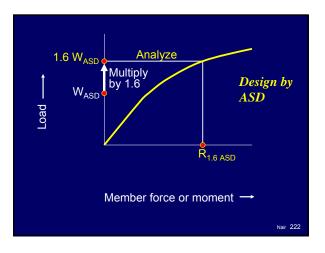


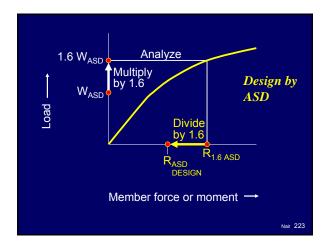


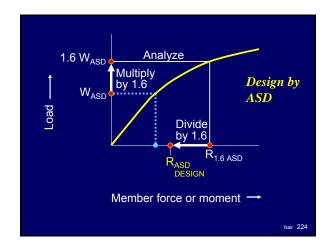












AISC TC-10 (Stability)	Shankar Nair Greg Deierlein Bill Baker Reidar Bjorhovde Charlie Carter Shu-Jin Fang Jim Fisher Ted Galambos Larry Griffis Jerry Hajjar Todd Helwig Richard Henige Leroy Lutz Clint Rex Steve Thomas Don White Ron Ziemian	Chairman Vice-Chairman
		Nail 223

Members of AISC TC-10 (Stability) Much of the early work on the 2005 stability provisions was done under the leadership of former TC-10 chairman Joe Yura	Shankar Nair Greg Deierlein Bill Baker Reidar Bjorhovde Charlie Carter Shu-Jin Fang Jim Fisher Ted Galambos Larry Griffis Jerry Hajjar Todd Helwig Richard Henige Leroy Lutz Clint Rex Steve Thomas Don White Ron Ziemian	Chairman Vice-Chairman
		Nair 226

### Looking ahead...

The paper in the 2007 NASCC proceedings (for this presentation) includes a model specification written exclusively around the Direct Analysis Method.

Nair 227

### Looking ahead...

The paper in the 2007 NASCC proceedings (for this presentation) includes a model specification written exclusively around the Direct Analysis Method.

That model specification is a tentative preview of the stability section of the 2010 AISC Specification.

